

Find the pattern.

1.) $5, 12, 19, 26, \dots$ 33

$\begin{matrix} \text{↘} & \text{↘} & \text{↘} & \text{↘} \\ +7 & +7 & +7 & +7 \end{matrix}$

- 1.) Add consecutive odd numbers
or
2.) consecutive perfect squares

2.) $1, 4, 9, 16, 25, \dots$ 36

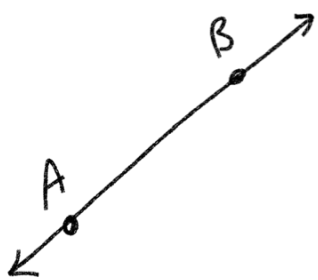
$\begin{matrix} \text{∨} & \text{∨} & \text{∨} & \text{∨} & \text{∨} \\ +3 & +5 & +7 & +9 & +11 \end{matrix}$

3.) $203, 304, 405, 506, \dots$ 607

$\begin{matrix} \text{↘} & \text{↘} & \text{↘} \\ +101 & +101 & +101 \end{matrix}$

4.) $2, 3, 5, 7, 11, 13, \dots$ 17, 19, 23, 29 All prime number

A • Point 0 dimensions

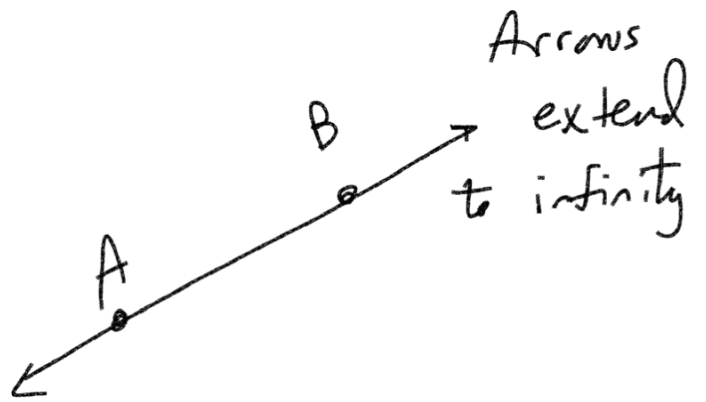
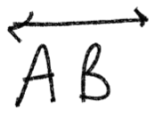


Line Made up of 2 points

Plane

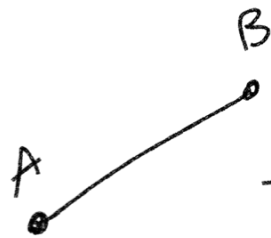
- * { 1.) 3 noncollinear points
or
2.) 1 line and 1 noncollinear point.

Line



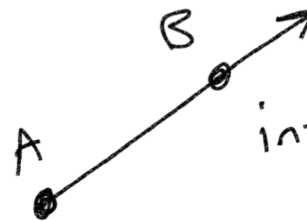
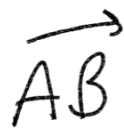
Arrows extend to infinity

Segment \overline{AB}



terminal on both sides

Ray



infinite

terminal

Plane

AEB

BFA

BFE

BAE

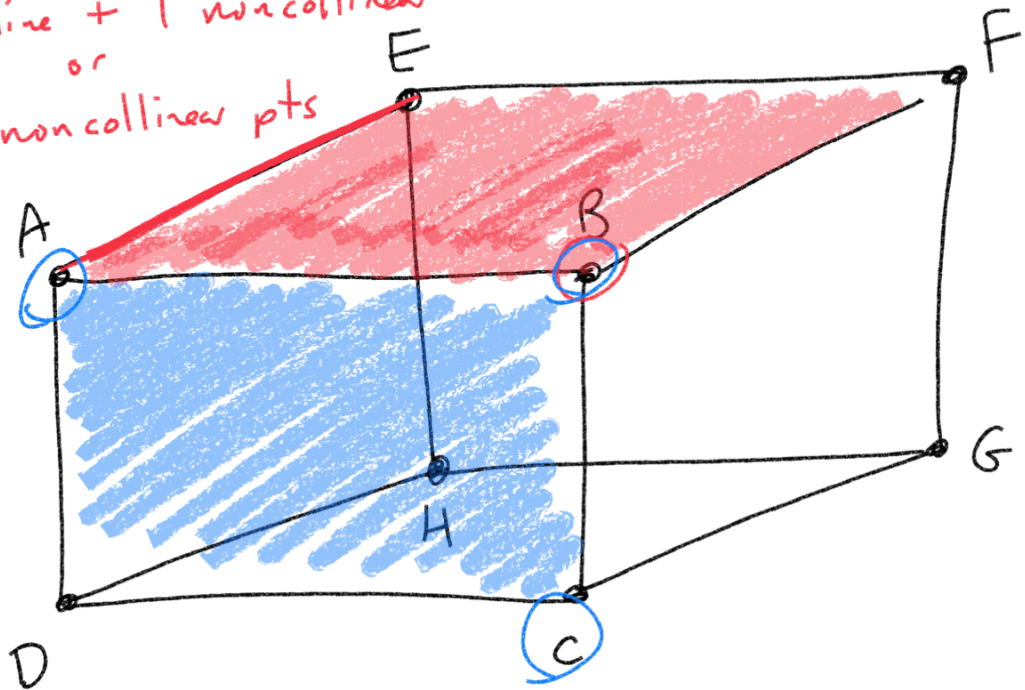
Plane

ABC

CDA

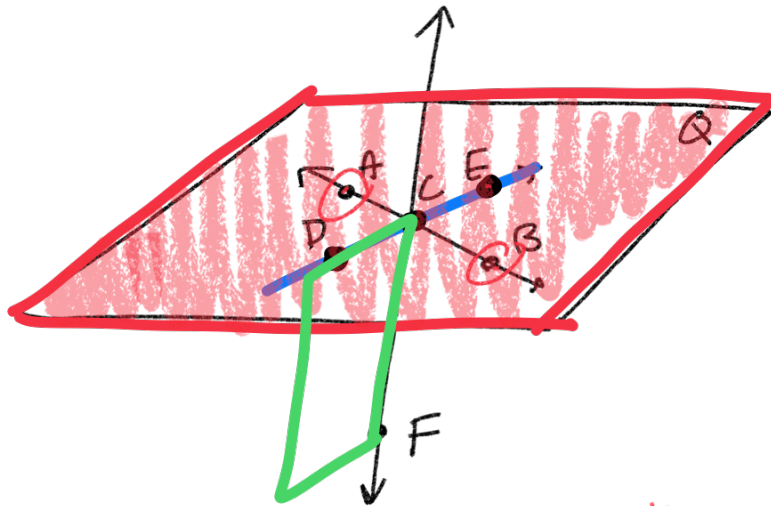
BDC

1 line + 1 noncollinear
or
3 noncollinear pts



Line
 \longleftrightarrow
 CE
 \longleftrightarrow
 DE
 \longleftrightarrow
 DC

Plane Q



Plane Q

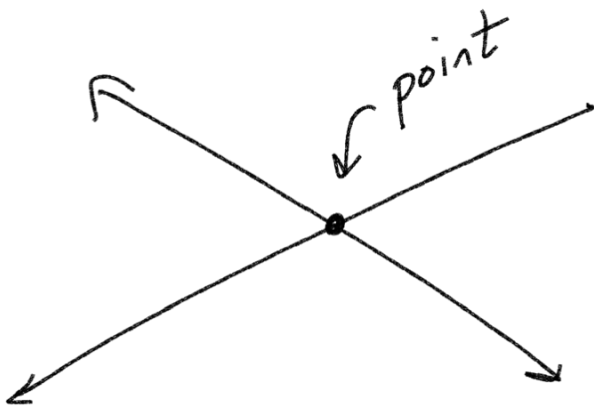
AEB ✓
 DCA ✓

~~AEB~~

~~DCA~~

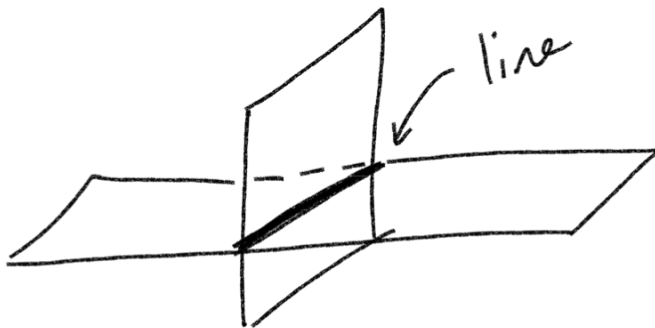
Not Plane Q

Plane: {
 1.) 3 noncollinear pts
 or
 2.) 1 line and
 1 noncollinear pt.



Intersection of
 2 Lines

Point

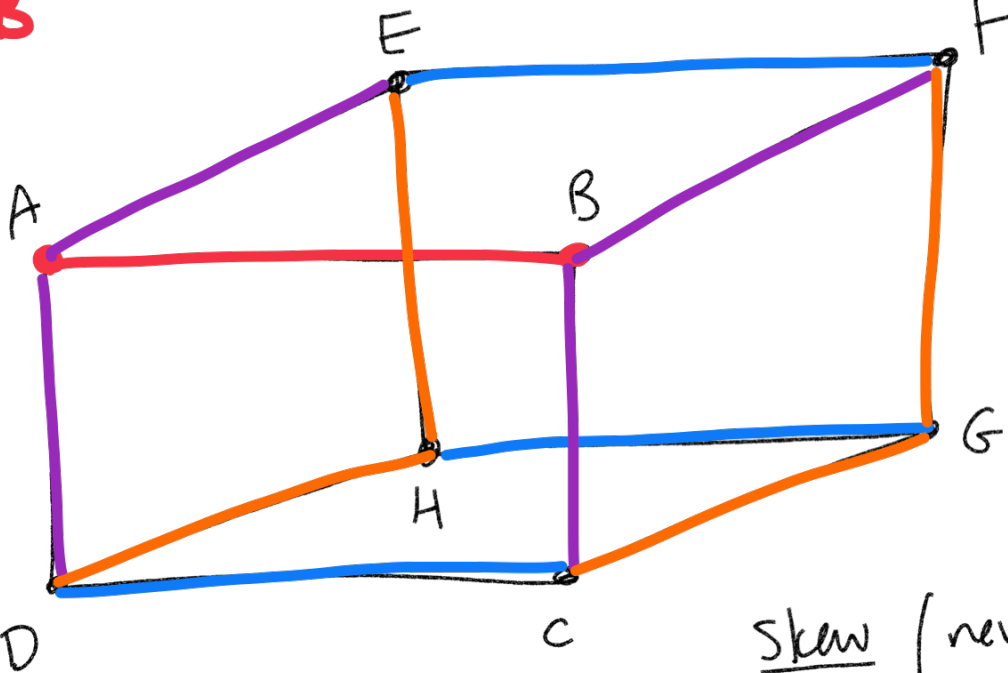


Intersection of
 2 planes

Line

Line Segment

\overline{AB}



Parallel

$\overline{EF}, \overline{HG},$
 \overline{DC}

Intersecting
perpendicular

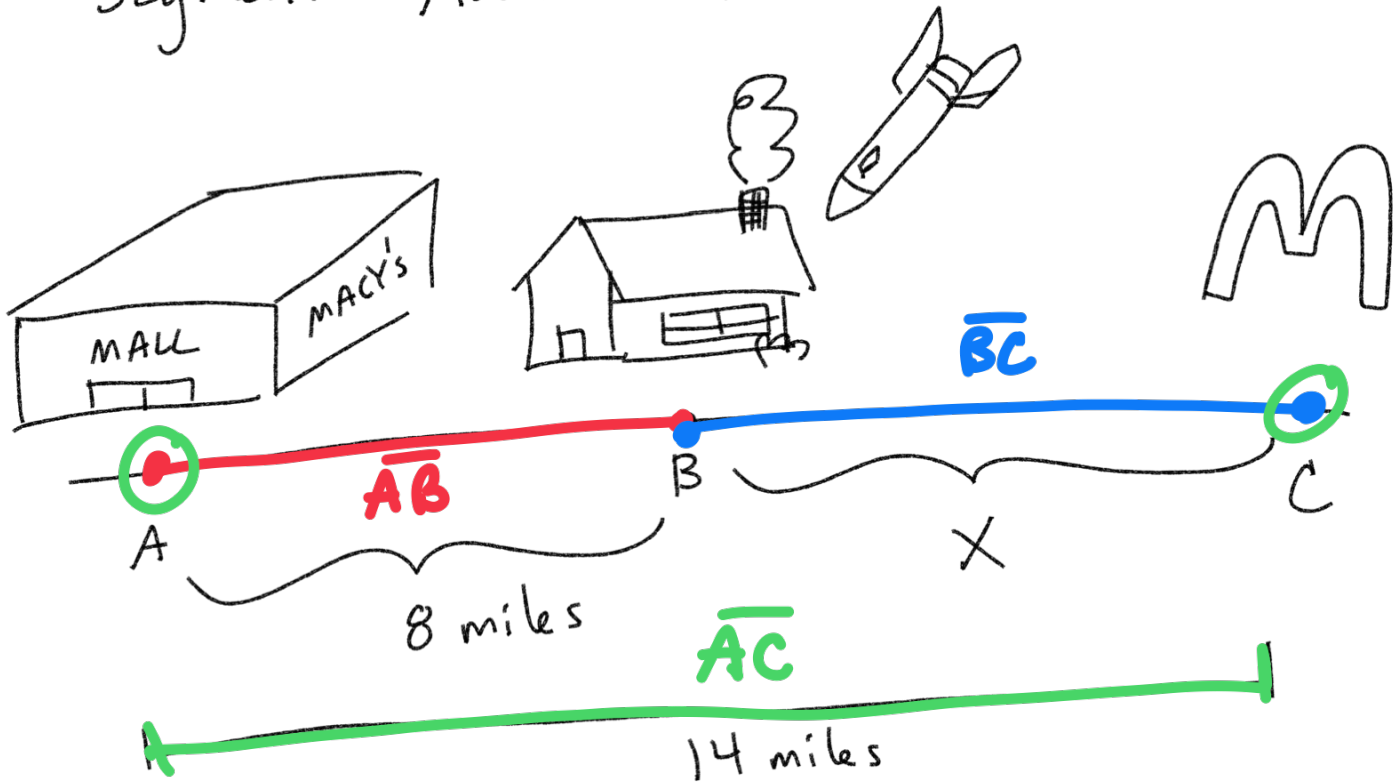
$\overline{AE}, \overline{BF}$
 $\overline{AD}, \overline{BC}$

Skew (never touch, but
not on same
plane)

Parallel Lines - no intersection
- same slope
- exist on same
plane

$\overline{CG}, \overline{DH},$
 $\overline{FG}, \overline{EH}$

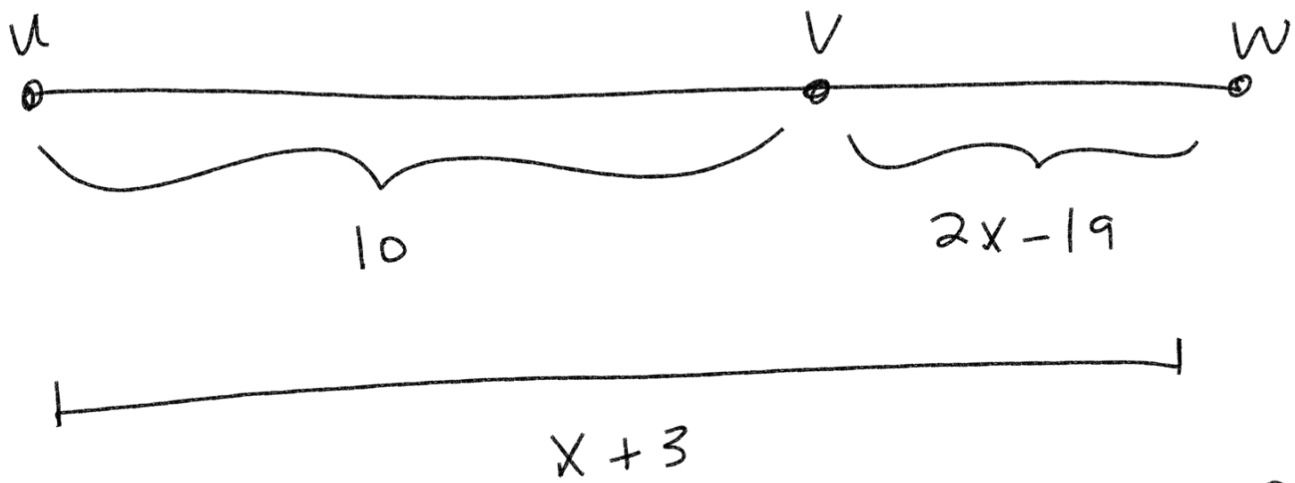
Segment Addition Postulate (SAP)



Segment Addition Postulate

$$\overline{AB} + \overline{BC} = \overline{AC}$$
$$\downarrow \quad \downarrow \quad \downarrow$$
$$8 + X = 14$$

$$8 + X = 14$$
$$\begin{array}{r} -8 \\ \hline X = 6 \end{array}$$



$$\overline{UV} = 10$$

$$\overline{VW} = 2x - 19$$

$$\overline{UW} = x + 3$$

Segment Addition Postulate

$$\overline{UV} + \overline{VW} = \overline{UW}$$

$$\begin{array}{ccc} \downarrow & \downarrow & \downarrow \\ \rightarrow 10 + 2x - 19 = x + 3 \end{array}$$

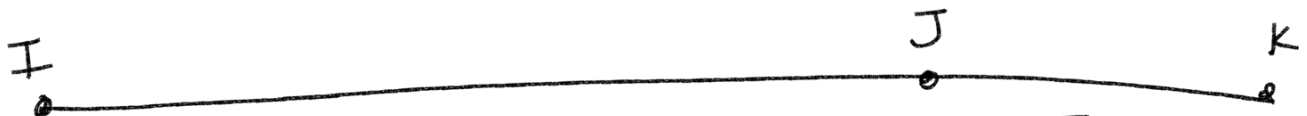
$$10 - 19 = -9$$

$$\begin{array}{r} 2x - 9 = x + 3 \\ -3 \quad -3 \end{array}$$

$$\begin{array}{r} 2x - 12 = x \\ -2x \quad -2x \end{array}$$

$$\begin{array}{r} -12 = -x \\ -1 \quad -1 \end{array}$$

$$\boxed{X = 12}$$



$$\overline{IJ} = \boxed{11}$$

$$\overline{IK} = \boxed{x + 8}$$

$$\overline{JK} = \boxed{2x - 13}$$

$$\left\{ \begin{array}{l} \overline{IJ} + \overline{JK} = \overline{IK} \\ \downarrow \quad \downarrow \quad \downarrow \end{array} \right\}$$

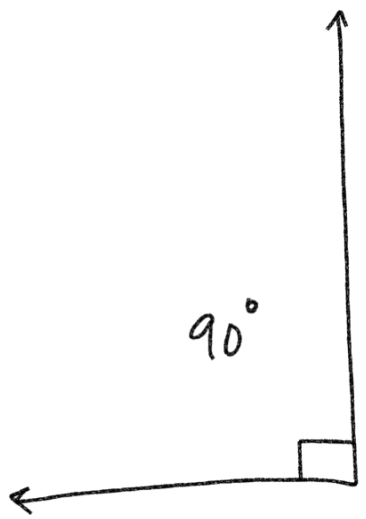
$$\boxed{11} + 2x \boxed{-13} = x + 8$$

$$11 - 13 = -2$$

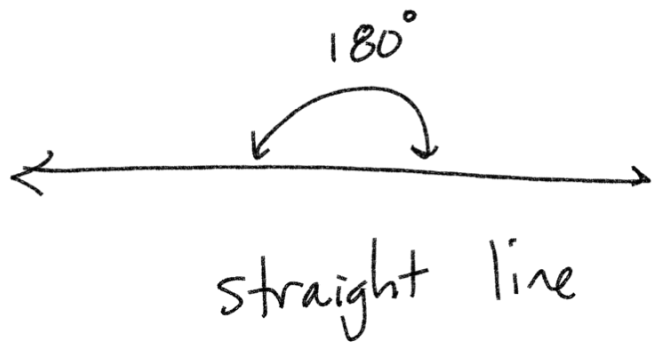
$$\begin{array}{r} 2x - 2 = x + 8 \\ -x \quad -x \end{array}$$

$$\begin{array}{r} x - 2 = 8 \\ +2 \quad +2 \end{array}$$

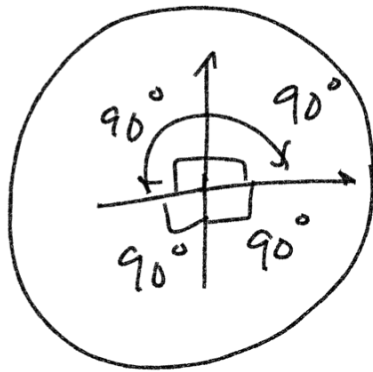
$$\boxed{X = 10}$$



Right Angle



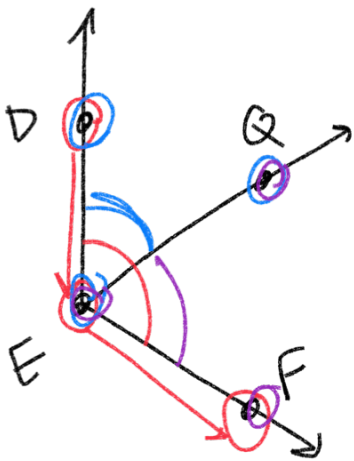
straight line



Degrees in a circle: 360°

Angle Addition

Postulate (AAP)



$$\frac{126}{21} = \frac{21x}{21}$$

$$x = 6$$

$$\begin{cases} m \angle DEF = 30x - 5 \\ m \angle DEQ = 9x - 5 \\ m \angle QEF = 126 \end{cases}$$

$$\angle DEQ + \angle QEF = \angle DEF$$

$$9x - 5 + 126 = 30x - 5$$

$$9x + 121 = 30x - 5$$

$$9x - 9x + 126 = 30x - 9x$$

